

# Errata – chapter 4

## Stochastic volatility – introduction

### 4.3.1 Implied volatilities of power payoffs

Page 142, there's a  $T$  missing in the exponentials of the right-hand sides of the first two equations:

$$L(p) = \int_{-\infty}^{+\infty} dy \frac{e^{-\frac{y^2}{2}}}{\sqrt{2\pi}} e^{\frac{p(p-1)}{2} \hat{\sigma}_{K(y,p)}^2 T}$$

should read:

$$L(p) = \int_{-\infty}^{+\infty} dy \frac{e^{-\frac{y^2}{2}}}{\sqrt{2\pi}} e^{\frac{p(p-1)}{2} \hat{\sigma}_{K(y,p)}^2 T T}$$

and

$$e^{\frac{p(p-1)}{2} \hat{\sigma}_p^2 T} = \int_{-\infty}^{+\infty} dy \frac{e^{-\frac{y^2}{2}}}{\sqrt{2\pi}} e^{\frac{p(p-1)}{2} \hat{\sigma}_{K(y,p)}^2 T}$$

should read:

$$e^{\frac{p(p-1)}{2} \hat{\sigma}_p^2 T} = \int_{-\infty}^{+\infty} dy \frac{e^{-\frac{y^2}{2}}}{\sqrt{2\pi}} e^{\frac{p(p-1)}{2} \hat{\sigma}_{K(y,p)}^2 T T}$$

### 4.3.6 The log contract, again

The statement at the bottom of page 148:

Log contracts have finite prices: they do not require anything beyond the non-arbitrageability of the smile, thus  $\hat{\sigma}_T$  is always well-defined.

is incorrect.

While all power payoffs  $S^p$  for  $p \in [0, 1]$  have finite prices and finite implied volatilities  $\hat{\sigma}_{pT}$ ,  $\lim_{p \rightarrow 0} \hat{\sigma}_{pT}$  is not necessarily finite.

Thus there are non-arbitrageable smiles for which  $\hat{\sigma}_T$  is infinite.